

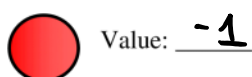
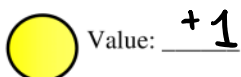
1 Modeling Polynomials

May 4, 2021 6:53 PM

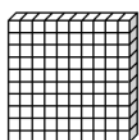
5.1 – Modelling Polynomials

Focus: Learn vocabulary associated with polynomials and represent and identify polynomials using models

Recall: Last year when we added and subtracted integers, we used integer chips.



In Arithmetic we used 10 blocks to model whole numbers.



Value: 100



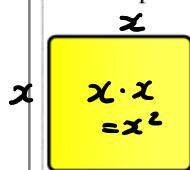
Value: 10



Value: 1

To model Polynomials we will use **algebra tiles**.

Yellow represents **positive** tiles.



Value: x^2



Value: x



Value: 1

Red represents **negative** tiles.



Value: $-x^2$

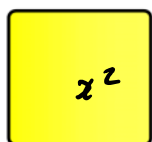


Value: $-x$



Value: -1

Ex. 1: The following tiles represent what expression?



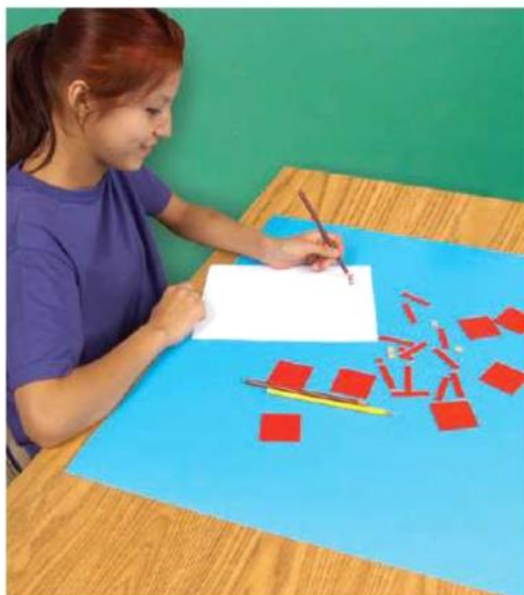
3×5
 $(3)(5)$
 $3 \cdot 5$

$2x^2 - 4x + 6$

Do the 'Investigate'

Investigate

2



Use algebra tiles.

- Model each expression. Sketch the tiles.
How do you know which tiles to use?
How do you know how many of each tile to use?

$$x^2 + x - 3$$

$$-2x^2 - 3$$

$$2x^2 + 3x$$

$$-2x^2 - 3x + 1$$

$$-3x + 3$$

- Write your own expression.
Have your partner model it with tiles.
Model your partner's expression with tiles.

We must be able to identify vocabulary associated with Polynomials.

Let us examine the expression, $2x^2 - 4x + 12$.

1. What is a variable?

letter representing a number
that can vary

Ex: x, y

2. What is a Coefficient?

number that multiplies the variable

Ex: 2 in $2x^2$

-4 in $-4x$

3. What is a Constant?

that doesn't multiply with a
variable

(doesn't change!)

Ex: 12

4. What are terms?

$$\boxed{2x^2} \quad \boxed{-4x} \quad \boxed{+12}$$

- coefficient multiplying with a variable
- constant (#)

5. What is a **Polynomial**?

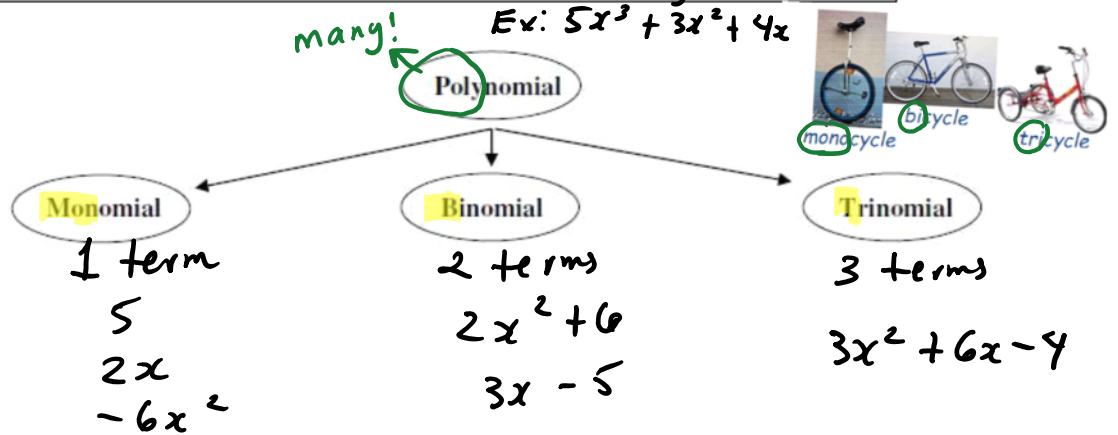
sum of 1 or more terms

6. What is the **degree** of the polynomial?

$$\begin{array}{rcl} 3x^2 & \text{degree } 2 \\ + 5x^3 & \text{degree } 3 \\ + 4x^1 & \text{degree } 1 \end{array} \left. \vphantom{\begin{array}{rcl} 3x^2 \\ + 5x^3 \\ + 4x^1 \end{array}} \right\} \text{degree of polynomial } 3$$

highest exponent

A polynomial's terms are usually written in order of decreasing degree.

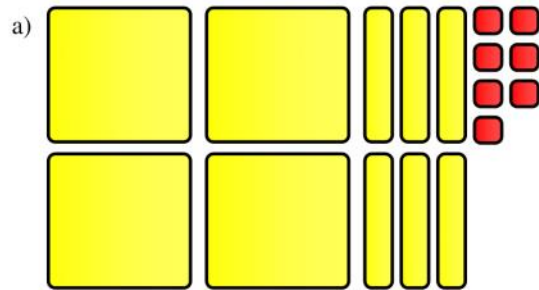


<p><u>Def'n:</u> 1 or more terms</p>	<p><u>Use</u></p> <ul style="list-style-type: none"> • shortcut in math! • algebra!!
<p>Examples</p> <p>5</p> <p>$2x + 6$</p> <p>$3x^2 - 4x + 9$</p>	<p>Non-Examples</p> <p>$\frac{5}{x}$ ← can't have x in denominator</p> <p>x^{-1} ← negative</p> <p>$x^{\frac{1}{2}}$ ← fraction</p> <p>$= \sqrt{x}$</p>

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Ex. 2: State the polynomials modeled by the algebra tiles and also the following:

i. the Degree, *ii.* The Constant term, *iii.* The Type of polynomial (monomial, binomial, trinomial)

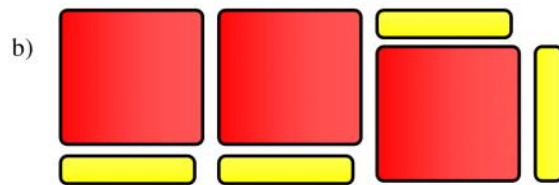


i. Degree: 2

ii. Constant: -7

iii. Type: trinomial

Polynomial: $4x^2 + 6x - 7$

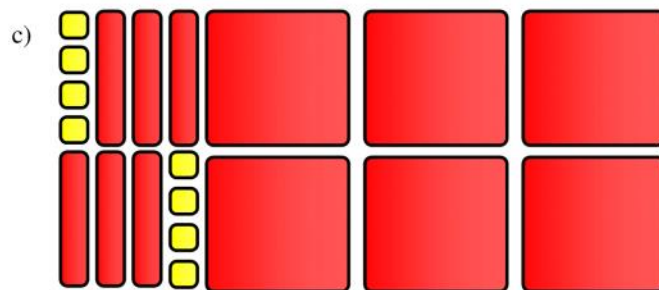


i. Degree: 2

ii. Constant: 0

iii. Type: binomial

Polynomial: $3x^2 + 4x$



i. Degree: 2

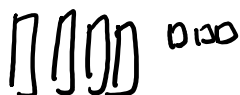
ii. Constant: 8

iii. Type: tri

Polynomial: $-6x^2 - 6x + 8$

Ex. 3: Model the following polynomials using algebra tiles. State the degree and classify the polynomial (monomial, binomial, trinomial).

a) $4x + 3$



type _____ degree: 1
~~classification:~~ binomial

b) $-5c$



degree: 1
 classification: monomial

c) $5a - 4a^2 - 3$

$-4a^2 + 5a - 3$



degree: 2
 classification: trinomial

Assignment:

Sec 5.1, p. 214: ★ 4, 5abc,

★★ 9abc (make a chart: polynomial, coefficients, variable, degree, constant), 11ace (sketch), 12, 13

★★★ 15, 16, 18

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